

Education

KwaZulu-Natal

**Department of Education** 

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# **P1 SOLUTIONS**

**GRADE 12 - 2020** 

## **PHYSICAL SCIENCES**

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#### **PHYSICS P1- SOLUTIONS**







F<sub>net</sub> = ma

- 1. Take initial motion to the right as being positive
- 1.1  $R_x = R\cos\theta = 100\cos60^0 = 50 \text{ N}$   $F_{net} = ma$   $R_x + (-F_f) = ma$  50 - 12 = 20a  $a = 1, 9 \text{ ms}^{-2}$ 1.2  $F_f = \mu\kappa F_N$ ,  $F_N = mg + R_y = 20x9.8 + 17.321 = 213.321 \text{ N}$   $12 = \mu\kappa(213.321)$   $\mu\kappa = 0,0563$ 1.2  $M_x = 0.0563$

1.3 
$$\Delta x = v_i \Delta t + \frac{1}{2} a \Delta t^2$$
  
= 0 +  $\frac{1}{2} (1, 9) (10)^2$   
= 95 m

- 2. Take the initial upward motion of the crate as being positive
  - $2.1 F_{net} = ma$

 $\begin{array}{l} F_{cable} + (-F_{weight}) = ma & , \mbox{ constant velocity } "" a=0 \\ F_{cable} + (-500) \ (9.8) = (500) \ (0) \\ F_{cable} = 500 (9.8) = 4900 \ N \end{array}$ 

 $2.2 F_{net} = ma$ 

 $\begin{array}{l} {\sf F}_{\sf cable} + ({\sf -F}_{\sf weight}) = ma \\ {\sf F}_{\sf cable} + ({\sf -500}) \ (9.8) = (500) \ (2) \\ {\sf F}_{\sf cable} = 5900 \ {\sf N} \end{array}$ 



Take the downward motion of the 3kg mass piece as being positive

3kg2kg $F_{net} = ma$  $F_{net} = ma$  $F_{weight} + (-F_T) = ma$  $F_{met} = ma$  $(3 \times 9.8) - F_T = 3a$  $F_{weight} + (-F_T) = m$  (-a) $(3 \times 9.8) - F_T = 3a$  $(2 \times 9.8) - F_T = -2a$  $29, 4 - F_T = 3a$  $19, 6 - F_T = -2a$  $F_T = 29, 4 - 3a$  $19, 6 - F_T = -2a$  $F_T = 29, 4 - 3a$  $19, 6 - F_T = -2a$ 19, 6 - (29, 4 - 3a) = -2a $a = 1, 96 \text{ ms}^{-2}$ 

4. Take the initial upward motion of the lift to be positive



4.1  $F_{net} = ma$   $F_{scale} + (-F_{weight}) = ma$   $F_{scale} - (80 \times 9.8) = (80) (2)$  $F_{scale} = 944 \text{ N}$ 

#### 4.2 $F_{net} = ma$

 $\begin{array}{l} F_{scale} + (-F_{weight}) = m \ (-a) \\ F_{scale} - (80) \ (9.8) = (80) \ (-2) \\ F_{scale} = 624 \ N \end{array}$ 

- 4.3  $F_{NET} = ma$   $F_{scale} + (-F_{weight}) = m (-a)$   $F_{scale} - (80) (9.8) = (80)(0)$ , constant velocity »»» a=0 $F_{scale} = 784 N$
- 4.4 a=g= 9.8 ms<sup>-2</sup>

 $\begin{array}{l} F_{net} = ma \\ F_{scale} + (-F_{weight}) = m \; (-a) \\ F_{scale} - \; (80) \; (9.8) = \; (80) \; (-9.8) \\ F_{scale} = 0 \; N \end{array}$ 

5. Take the motion down the incline as positive.



- 5.1 Constant velocity »»»  $\Sigma$  F = F<sub>net</sub> =0 N, a=0 ms<sup>-2</sup> F<sub>NET</sub> =ma Fg// =m.g.sin $\theta$  =50·9.8·sin20<sup>0</sup> F<sub>g</sub>// + (-F<sub>f</sub>) = m·(a) = 167,5898 N 167, 5898 + (-F<sub>f</sub>) =0 F<sub>f</sub> = 167, 59 N, up the slope
- 5.2  $\mu$ =tan $\theta$  =tan 20<sup>0</sup>=0, 3639
- **OR**  $F_f = \mu_k F_N$   $F_N = mgcos\theta = 50(9, 8cos20^0) = 460,449N$ 167, 59 =  $\mu_k \cdot 460,449$  $\mu_k = 0.3639$

```
6.
6.1 RX = R·cosθ = 150·cos15<sup>0</sup> =144, 8888 N
F<sub>net</sub> =ma
Rx= ma
```

144, 8888= 30a  $a = 4, 83 \text{ ms}^{-2}$ 6.2 F<sub>net</sub> = ma  $R_{x}$ + F<sub>f</sub> = ma 144, 8888 + (-24) = 30·a  $a = 4, 03\text{ms}^{-2}$ 6.3 F<sub>N</sub> = F<sub>w</sub> - R<sub>y</sub> , R<sub>y</sub> = Rsin $\theta$  = 100 sin15<sup>0</sup>= 25,882N = (30)(9.8) - 25,882 = 268, 81 N F<sub>f</sub> =  $\mu_k$ F<sub>N</sub> 24 =  $\mu_k$ (268, 81)  $\mu_k$  = 0,0893

#### **VERTICAL PROJECTILE MOTION SOLUTIONS**

Activity 1

1. 1.1 
$$vf^2 = vi^2 + 2a\Delta y$$
  
 $(0)^2 = (4)^2 + 2(-9, 8) \Delta y$   
 $0 = 16 + (-19, 6) \Delta y$   
 $-16 = -19, 6\Delta y$   
 $\therefore \Delta y = 0, 81 \text{ m}$   
1.2  
 $vf = vi + a \Delta t$   
 $0 = (-4) + (9, 8) \Delta t$   
 $\Delta t = 0,41 \text{ s}$   
 $\therefore$  The ball takes 0, 41 s to reach the highest point in its projection

1.3.

Time upwards = time downwards  $\therefore$  total time in the air is (2) (0, 41) = 0, 82 s

1.4. Total displacement =  $\Delta$  y = 0 m Displacement is measured in a straight line from the initial position (the thrower's line from the original to the final position (the thrower's hand is the initial and final position). (5)

(1)

2.1 3 - 2, 04= 0, 96 s

2.2

**Option 1**  $\Delta y = vi \Delta t + 12a \Delta t^2$  $=(10)(3) + 12(-9, 8)(3)^{2}$ = 14, 1 m  $\Delta y = 14$ , 1 m below the starting point  $vf2 = vi2 + 2a\Delta y$  $0 = 100 + 2(-9, 8) \Delta y$  $\Delta y = 5, 1 \, m$ Maximum height above the ground = 5, 1 + 14, 1 = 19, 2 m**Option 2**  $\Delta y = vi \Delta t + 12a \Delta t^2$ = 0 + 12 (-9, 8) (3 - 1, 02)= -19, 21 m  $\Delta y = 19, 21 \text{ m}$  (maximum height above the ground) Option 3 vf2 = vi2 + 2a∆y  $(-19, 4) = 0 + 2 (-9, 8) \Delta y$  $\Delta y = 19, 2 \text{ m}$  (maximum height above the ground

Activity 3

1. 15 m.s<sup>-1</sup> (1) 2. Inelastic collision The speed/velocity at which the ball leaves the floor is less / different than that at which it strikes the floor OR The speed/ velocity of the ball changes during the collision. Therefore, the kinetic energy changes/is not conserved. (2) 3 .  $vf^2 = vi^2 + 2a\Delta y$  $(20)^2 = (10)^2 + 2(9, 8) \Delta y$  $\therefore \Delta y = 15, 31 \text{ m}$ (3) Displacement from floor to maximum height  $vf2 = vi2 + 2a\Delta y$  $(0)^2 = (-15)^2 + 2(9, 8) \Delta y$  $\Delta y = -11, 48 \text{ m}$ Total displacement = -11, 48 + 15, 3 = 3, 82 m or 3, 83 m Activity 4 4.1 B 4.2 A

4.3 C

#### **MOMENTUM & IMPULSE**

#### Activity 1

- 1.1 Momentum is defined as the product of mass and velocity of an object.
- 1.2 Impulse is the product of the net force and the time in which the net force acts on an object.
- 1.3 Elastic collision is defined as collision in which the kinetic energy is conserved.
- 1.4 Inelastic collision is defined as collision in which the kinetic energy is not conserved.
- 1.5 Principle of conservation of linear momentum it states that the total linear momentum of an isolated system remains constant.
- 1.6 An isolated system is the one on which the net external force acting on the system is zero.

#### Activity 2

#### 2.1 Diagram

**Diagram A:**   $m = 150 \div 1000 = 0, 15 \text{ kg}$   $v_i = + 18 \text{ m} \cdot \text{s}^{-1}$  $v_f = -12 \text{ m} \cdot \text{s}^{-1}$ 

#### **Diagram B:**

 $\begin{array}{l} m=0,\ 15\ kg\\ \rightarrow\\ v_i=+\ 18\ m\cdot s^{-1}\\ \rightarrow\\ v_f=0\ m\cdot s^{-1}\\ Let\ the\ direction\ towards\ the\ wall\ be\ positive \end{array}$ 

#### 2.2

$$\begin{split} m &= 150 \text{ g} = 0, \, 15 \text{ k} \\ v_{\text{f}} &= -12 \text{ m} \cdot \text{s}^{-1} \\ P_{\text{f}} &= mv_{\text{f}} \\ &= (0, \, 15) \, (-12) \\ &= 1, \, 8 \text{ kg} \cdot \text{m} \cdot \text{s}^{-1} \text{ away from the wall} \end{split}$$

 $\therefore \Delta$  p is 4,5 kg·m·s<sup>-1</sup> away from the wall

2.4

2.4 Diagram A: Fnet  $=_{\Delta t}^{\Delta P}$  $=\frac{MV_f - MV_i}{\Delta t}$  $=\frac{(0,15)(-12) - (0.15)(+18)}{0,1}$ 

.: Force exerted by the wall is 45 N away from the wall

Diagram B  $F_{net} = \frac{\Delta P}{\Delta t}$  $=\frac{mvf-mvi}{\Delta t}$ = 0,15(0) - 0,15(18)0, 1 = -27 N

... Force exerted by the wall is 27N away from the wall

2.5  $p_f = -1.8 \text{ kg.m.s}^{-1}$  away from the wall

 $p_i = +2.7 \text{ kg.m.s}^{-1}$  toward the wall

 $\Delta p = m_{vf} - m_{vi}$ 

= -1, 8 - (+2, 7)

= 4, 5 kg.m.s<sup>-1</sup> away from the wall



 $F_{net}\Delta t = \Delta p$ = (0,175) [(-30) – (12)] = −7, 35 N·s Therefore 7, 35 N·s away from the bat

2.

F<sub>net</sub>  $\Delta t$  = −7, 35 = F<sub>net</sub> (0, 05)  $\therefore$  F<sub>net</sub> =  $\frac{-7,35}{0,05}$  =-147N Therefore 147 N away from the bat (3) 3. 147 N towards the bat. According to Newton's Third Law of Motion the force of the bat on the ball is equal to the force of the ball on the bat, but in the opposite direction, (5)  $F_{bat}$  on ball =  $-F_{ball}$  on bat

(4)

Activity 4

4.1 An isolated system is the one on which the net external force acting on the system is zero.

#### 4.2

```
 \begin{array}{ll} m_{1} = 4 \ 000 \ \text{kg} & \text{and} & m_{2} = 3 \ 000 \ \text{kg} & v_{1i} = +1, \ 5 \ \text{m} \cdot \text{s}^{-1} & v_{2i} = 0 \\ m \cdot \text{s}^{-1} & v_{1f} =? & v_{2f} = +2, \ 8 \ \text{m} \cdot \text{s}^{-1} & \\ \Sigma \ \text{p} \ i = \Sigma \ \text{p} \ f & \\ m_{1} \ v_{1i} + m_{2} \ v_{2i} = m_{1} \ v_{1f} + m_{2} \ v_{2f} & \\ (4000) \ (1, \ 5) + (3000) \ (0) = (4000) \ v_{1f} + (3000) \ (2, \ 8) & \end{array}
```

 $4000 v_{1f} = 6000 - 8400$ 

 $v_{1f} = 0,6 \text{ m} \cdot \text{s}^{-1}$ 

 $\therefore$  0, 6 m·s<sup>-1</sup> to the west

#### 4.3

$$\begin{split} \Sigma \ \mathsf{E}_{\mathsf{K}i} &= \frac{1}{2} \ \mathsf{m}_1 \ \mathsf{v}_{1i} \ ^2 + \frac{1}{2} \ \mathsf{m}_2 \ \mathsf{v}_2 i^2 \\ &= \frac{1}{2} \ 4000) \ (0, \ 6)^2 + \frac{1}{2} \ (3000) \ (2, \ 8)^2 \\ &= 720 \ \ + \ 11760 \end{split}$$

- $\Sigma E_{K f} = \frac{1}{2} m_1 v_{1f}^2 + \frac{1}{2} m_2 v_{2f}^2$
- $=\frac{1}{2}$  (4000) (1, 5)<sup>2</sup> +  $\frac{1}{2}$  (3000) (0)<sup>2</sup>
- = 4500 J

 $4500 \; J \;\; \neq 12480 \; J$ 

.:. Collision is inelastic

#### Work, Energy and Power

#### Activity 1

1.1 Work energy and power - The net work done on an object is equal to the change in the object's kinetic energy.

1.2 Conservative forces - A force for which the work done (in moving an object between two points) is independent of the path taken.

1.3 Non – conservative forces - A force for which the work done (in moving an object between two points) depends on the path taken.

1.4 Isolated system - A system in which the net external force acting on the system is zero.

1.5 Principle of Mechanical energy - The total mechanical energy (sum of gravitational potential energy and kinetic energy) in an isolated system remains constant.

1.7 Power - The rate at which work is done or energy is expended.

Activity 2

1.1 B

1.2 D 1.3 D

1.3 D

- 1.4 A
- 1.6 B

#### Activity 3

- 1.1 The total mechanical energy (sum of gravitational potential energy and kinetic energy) in an isolated system remains constant.
- 1.2 No.
- 1.3







1.4.2 The net work done on an object is equal to the change in the object's kinetic energy.

1.4.3 A force for which the work done (in moving an object between two points) depends on the path taken.

#### Activity 4

1.1 WFapplied = Fapplied 
$$\Delta x \cos \theta = (220)(10)(\cos 0^{\circ}) = (220)(10)(1)$$

= 2 200 J

1.2. WFnormal = Fnormal  $\Delta x \cdot \cos \theta = \text{mg} \cdot \Delta x \cdot \cos 90^\circ = (50)(9,8)(10)(0)$ 

= 0 J

1.3. WFfriction = Ffriction  $\Delta x \cdot \cos \theta = (40)(10)(\cos 180^{\circ}) = (40)(10)(-1)$ 

$$= -400 \text{ J}$$
 (3)

(3)

(3)

1.4. Wnet = 
$$\Sigma W$$
 = WFapplied + WFfriction = (2 200) + (-400) = 1 800 J (3)

#### Activity 5

1.1 The net work done on an object is equal to the change in the object's kinetic energy.(2) T

1.5 W<sub>Fg</sub> = F<sub>g</sub>· 
$$\Delta x$$
· cos  $\theta$  = (6)(9,8)(1.6)(cos 0°)= 94.08 J (3)

#### DOPPLER EFFECT SOLUTIONS

#### Assignment

1. Doppler Effect is the change in frequency (or pitch) of the sound detected by a listener, because the sound source and the listener have different velocities relative to the medium of sound propagation.

$$\mathbf{2.1} \quad f_L = \frac{v \pm v_L}{v \pm v_s} f_s$$

$$f_L = \frac{340 + 0}{340 - 25} 350 = 377,78Hz$$

$$2.2 \quad f_L = \frac{340 + 0}{340 + 25} \quad 350 = 326,03 Hz$$

$$f_L = \frac{340+5}{340-0} 450 = 456,62 Hz$$

$$4.1 \quad f_L = \frac{340 + 0}{340 - 240} \\ 1200 = 4080 \\ Hz$$

$$f_L = \frac{340 + 240}{340 - 0} 4080 = 6960 Hz$$

$$f_L = \frac{340 + 0}{340 - 25} 350 = 377,78Hz$$

$$450 = \frac{340 + vL}{340 - 0} 400$$

v∟ =42,5 m.s<sup>-1</sup>

#### More exercises

1.1

$$f_L = \frac{v \pm v_L}{v \pm v_s} f_s$$
$$f_L = \frac{1500}{1500 - 20} (250000)$$

- = 253,38 x 10<sup>3</sup> Hz
- 1.2 Remains the same

#### 2.1 Doppler Effect

2.2

$$f_{L} = \frac{v \pm v_{L}}{v \pm v_{s}} f_{s}$$

$$90/100 f_{s} = \frac{340}{340 + v_{s}} (f_{s})$$

2.3 Smaller than

#### 3.1 Doppler Effect

$$f_L = \frac{v \pm v_L}{v \pm v_s} f_s$$

$$90/100 f_s = \frac{340}{340 + v_s} (f_s)$$

$$\therefore v_s = 37,78 \text{ m} \cdot \text{s}^{-1}$$

The detected frequency is independent of the distance between the source and the observer.

4.1 Towards

4.2

$$4.3 f_L = \frac{v \pm v_L}{v \pm v_s} f_s$$

$$450 = \frac{340 + 0}{340 - 20} \, fs$$

153000- 9000 = 340fs

fs = 423,53 Hz

#### **ELECTROSTATICS SOLUTIONS**

#### **QUESTION ONE**

1.1 The electrostatic force between charges is directly proportional to the product of the charges and inversely proportional to the square of the distance between them

1.2 Qnew = 
$$\frac{Q+Q^2}{2}$$
  
=  $\frac{-6x10^{-6} + 2x10^{-6}}{2}$   
=  $-2 x 10^{-6} C$   
1.3 nelectrons =  $\frac{Q}{qe}$   
=  $\frac{-2X10^{-6}}{-1.6 X10^{-19}}$   
= 1,25x10<sup>13</sup> electrons

$$1.4F = k \frac{Q1Q2}{r^2}$$
  
= 9x10<sup>9</sup>  $\frac{2X10^{-6} \cdot 2X10^{-6}}{(20X10^{-2})^2}$   
= 9x10<sup>3</sup> N

1.51.5 F = k 
$$\frac{Q1Q2}{r^2}$$
  
=9x10<sup>9</sup>  $\frac{2X10^{-6} \cdot 4X10^{-6}}{(30X0^{-2})^2}$   
=8X10<sup>-1</sup> N  
F<sub>R</sub><sup>2</sup> =Fx<sup>2</sup>+ Fy<sup>2</sup>  
= (9x10<sup>3</sup>)<sup>2</sup> + (4X10<sup>-1)2</sup>  
= 9X10<sup>3</sup> N  
Tan  $\theta = \frac{8x10^{-1}}{9x10^3}$   
 $\theta = 5,09x10$ 

#### **QUESTION 2**

2.1 The electrostatic force between charges is directly proportional to the product of the charges and inversely proportional to the square of the distance between them 2.2 F = k  $\frac{Q1Q2}{Q2}$ 

$$=9X10^{9} \frac{4x10^{-6} \cdot 2x10^{-6}}{(50x10^{-3})^{2}}$$
2,88X10<sup>1</sup>N

2.4 F = k 
$$\frac{Q1 Q2}{r^2}$$
  
=9X10<sup>9</sup>  $\frac{8X10^{-6} \cdot 2X10^{-6}}{(100X10^{-3})2}$ 

 $F_{NET} = F_1 + F_2$ 

 $= 2,88 \text{ X}10^{1} + 1,44 \text{ X}10^{1}$ 

 $= 1,44X10^{1}N$ 

Tan 
$$\theta = \frac{2,44x10^{1}}{1,44x10^{1}}$$
  
 $\theta = 5,95x10^{1}$ 

3.1 Electric field is a region of space in which an electric charge experiences a force.



3.2

3.3 E<sub>1</sub> =  $\frac{kQ}{r^2}$ 

 $\mathsf{E}_2 = \frac{kQ}{r^2}$ 

$$= 9X10^9 \frac{3x10^{-9}}{(10x10^{-3})^2}$$
$$= 2,7x10^5 \,\mathrm{N.C^{-1}}$$

$$= 9 \times 10^9 \frac{5 \times 10^{-9}}{(30 \times 10^{-3})^2}$$
$$= 5 \times 10^4 \,\mathrm{N.C^{-1}}$$

$$\mathsf{E}_{\mathsf{NET}} = \mathsf{E}_1 + \mathsf{E}_2$$

 $= E_1 = \frac{kQ}{r^2}$ 

$$= 9X10^{9} \frac{3x10^{-9}}{(10x10^{-3})^{2}}$$
$$= 5 \times 10^{4} + 2,7 \times 10^{5}$$
$$= 3, 20 \times 10^{5} \text{ N.C}^{-1}$$
$$3.4 \text{ E} = \frac{F}{e}$$
$$3, 20 \times 10^{5} = \frac{F}{1,6 \times 10^{-19}}$$

$$F = 5, 12 \times 10^{-14} N$$

#### **QUESTION 4**

4.1 Because we need to charge the sphere.



#### **QUESTION 5**

5.1 Electric field is a region of space in which an electric charge experiences a force.

5.2 n<sub>e</sub> = 
$$\frac{Q}{qe}$$
  
=  $\frac{10 \times 10^{-6}}{1,6 \times 10^{-19}}$ 

= 6, 25 x10<sup>13</sup> electrons

5.3 
$$E = \frac{kQ}{r^2}$$
  
= 9 x10<sup>9</sup>  $\frac{10x10^{-6}}{(2x10^{-2})^2}$   
= 2, 25 x10<sup>8</sup> NC<sup>-1</sup>

5.5 The electrostatic force between charges is directly proportional to the product of the charges and inversely proportional to the square of the distance between them

5. F = k 
$$\frac{Q1 Q2}{r^2}$$
  
= 9X10<sup>9</sup>  $\frac{10,x10^{-6}.20x10^{-6}}{(3x^{-2})^2}$   
= 2, 00 x10<sup>-3</sup> N

#### **ELECTRIC CIRCUITS SOLUTIONS**

#### **MULTIPLE CHOICE QUESTIONS**

- 2. A
- 3. C 4. B
- 5. A 6. D
- 7. C

1.1 
$$\frac{1}{R_p} = \frac{1}{R_1} + \frac{1}{R_2} \checkmark$$
$$= \frac{1}{60} + \frac{1}{60} \checkmark$$
$$\therefore R_p = 30 \ \Omega \checkmark$$

 $R_{ext} = 30 + 25 = 55 \ \Omega \checkmark$ 1.2  $Emf = I(R + r) \checkmark$ ∴ 12 ✓ = I (55 + 1, 5) ✓ ∴ I = 0, 21 A ✓

1.3 
$$V = IR \checkmark$$
  
= (0, 21)(30)  $\checkmark$   
= 6, 3 V  $\checkmark$ 

#### **QUESTION 2**

2.1 1, 5 V ✓

2.2 gradient/m = 
$$\frac{\Delta V}{\Delta I}$$
  
=  $\frac{0,65 - 1,5}{1,0 - 0}$   
= - 0,85  $\Omega$   $\checkmark$ 

- 2.3 Internal resistance  $\checkmark\checkmark$
- 2.4 Decreases √
  When I increase:
  "Lost volts"/ Ir increases. √
  V<sub>ext</sub> = emf Ir decreases. √

#### **QUESTION 3**

3.1 12 V ✓

3.2.1	Option 1	Option 2
	$I = \frac{V}{R} \checkmark = \frac{9.6}{2.4} \checkmark = 4 \text{ A}$	$\overline{\text{emf} = \text{IR} + \text{Ir}} \times 12 = \text{I}(2,4) + 2,4  \therefore \text{I} = 4 \text{ A}$

3.2.2 emf = IR + Ir  $\checkmark$ 12 = 9, 6 + 4r  $\checkmark$  $\therefore$  r = 0, 6  $\Omega$   $\checkmark$ 

3.3	Option 1	Option 2
	$emf = I(R + r) \checkmark$	$Emf = V_{terminal} + Ir \checkmark$
	12 = 6(R + 0,6) ✓	12 = V <sub>terminal</sub> + 6(0,6) √
	R <sub>ext</sub> = 1,4 Ω	∴ V <sub>terminal</sub> = 8,4 V
		¥
		V = 8,4 = 25 A
	$\frac{1}{R} = \frac{1}{R_1} + \frac{1}{R_2}$	$12,4 \Omega = \frac{1}{R} = \frac{1}{2,4} = 3,5 R$
	1 2	

1 1 1	I tail lamps = $6 - 3.5 = 2.5$ A
$\frac{1}{1,4} = \frac{1}{2,4} + \frac{1}{R}$	$\checkmark$
∴ R = 3,36 Ω	Rtail lamps = $\frac{V}{\sqrt{2}} = \frac{8.4}{\sqrt{2}} = 3.36 \text{ O}$
Each tail lamp	I 2,5
: R = 1,68 Ω 🗸	R <sub>tail lamp</sub> = 1,68 Ω ✓
Option 3	Option 4
$V = IR \checkmark$	For parallel combination:
12 = (6)R ✓	$I_1 + I_2 = 6 A$
$R_{ext} = 2 \Omega$	
	$\frac{1}{2.4} + \frac{1}{R_{total areas}} = 0.5$
$\therefore R_{\text{parallel}} = 2 - 0,6 = 1,4 \ \Omega$	, tainamps
1 1 1 /	$8,4\sqrt{(\frac{1}{2}+\frac{1}{2})} = 6$
$\overline{R} = \overline{R_1} + \overline{R_2}$	2,4 R <sub>taillamps</sub>
$(1 \ 1 \ 1$	1 D
	$\therefore$ Rtail lamps = 3,30
∴ R = 3,36 Ω	R <sub>tail lamp</sub> = 1.68 Ω ✓
Each tail lamp R = 1,68 Ω ✓	······································

3.4 Increases ✓
 Resistance increases, current decreases ✓
 Ir (lost volts) decreases ✓

#### **QUESTION 4**

4.1 The current in a conductor is directly proportional to the potential difference  $\checkmark$  across its ends at constant temperature.  $\checkmark$ 

OR

The ratio of potential difference to current is constant ✓ at constant temperature. ✓

4.2.1 
$$\frac{1}{R_{p}} = \frac{1}{R_{1}} + \frac{1}{R_{2}} \checkmark = \frac{1}{1,4} + \frac{1}{1,4} \checkmark \therefore R_{p} = 0, 7 \Omega \checkmark$$
$$OR$$
$$R_{p} = \frac{R_{1}R_{2}}{R_{1} + R_{2}} \checkmark = \frac{1,4 \times 1,4}{1,4 + 1,4} \checkmark = 0, 7 \Omega \checkmark$$



4	•	2	•	3

3	OPTION 1	OPTION 2	OPTION 3
	$P = \frac{V^2}{P} \checkmark$	I (light) = 7, 5 A	I (light) = 7, 5 A
	$= \frac{10.5^{2}}{1.4} \checkmark$ = 78, 75 W \lambda	$P = VI \checkmark = (10, 5) (7, 5) \checkmark = 78.75 W \checkmark$	$P = I^{2}R \checkmark$ = (7, 5) <sup>2</sup> (1, 4) = 78.75 W

4.3 Decreases ✓

(Effective/ total) resistance decreases.  $\checkmark$ (Total) current increases.  $\checkmark$ "<u>Lost volts" / V<sub>internal</sub> / Ir increases, thus potential difference / V (across headlights)</u> <u>decreases</u>. $\checkmark$  $P = \frac{V^2}{R}$  decreases.

#### **QUESTION 5**

5.1 9 V ✓

Potential difference measured when:

switch is open / no current flows / circuit is open/no work done is in external circuit  $\checkmark$ 



- 5.3 Decreases ✓
- 5.4 Increases ✓ Resistance decreases. ✓ <u>Current increases.</u> ✓ <u>Ir increases.</u>

#### **QUESTION 6**

 6.1 Any two: Temperature ✓ Cross sectional area (thickness) of material ✓ Length

```
 6.2 Conductor Q ✓
 For the same potential difference, ✓ wire Q has a higher current than wire P. ✓
 Therefore wire Q has a lower resistance than wire P. ✓
```

OR Conductor Q $\checkmark$ The gradient of the graph for wire Q is bigger than that for wire P.  $\checkmark$ Gradient =  $\frac{I}{V}$  is bigger  $\checkmark$ , thus  $\frac{V}{I}$  = R is smaller.  $\checkmark$ 

#### **QUESTION 7**

7.1 
$$V_{int} = 45 - 43, 5 = 1, 5 V \checkmark$$
  
 $I = \frac{V}{R} \checkmark = \frac{1,5}{0,5} = 3 A$   
 $V_{12 \Omega} = IR_{12 \Omega} = 3 \times 12 \checkmark = 36 V$   
 $V_{//} = 43, 5 - 36 = 7, 5 V$   
(If only  $V_{//} = 7, 5 V: 2 \text{ marks})$   
 $I = \frac{V_{//}}{R} = \frac{7,5}{10} = 0,75 A \checkmark$ 

7.2 
$$I_R = 3 - 0, 75 = 2, 25 \text{ A } \checkmark$$
  
 $R = \frac{V_{//}}{I} = \frac{7.5}{2,25} = 3, 33 \Omega \checkmark$ 

 7.3 Increases ✓ The total resistance increases, ✓ Therefore the current decreases ✓ therefore V<sub>internal</sub> decrease ✓ therefore reading on V increases.



Criteria for circuit diagram	Mark
Battery connected to the resistor as shown – correct symbols used.	✓
Rheostat connected in series with resistor – correct symbols used.	✓
Ammeter connected in series so that it measures the current through resistor – correct symbols used.	~
Voltmeter connected in parallel across resistor – correct symbols used.	~

- 8.2 Temperature ✓
- 8.3 B ✓

The ratio  $\frac{V}{I}$  is greater than that of A.  $\checkmark \checkmark$ 

#### **QUESTION 9**

9.1 
$$\frac{1}{R} = \frac{1}{r_1} + \frac{1}{r_2} \checkmark = \frac{1}{4} + \frac{1}{16} \checkmark$$
$$\therefore R = 3,2 \Omega$$
$$Reflective = 3,2 \Omega + 2 \Omega + 0,8 \Omega \checkmark$$

_	6	$\mathbf{n}$	./	
=	O	12	v	

$\overline{V} = IR \checkmark$ $12 = I(6) \checkmark$ $I = 2 A \checkmark$ $\overline{V} = I(R + r) \checkmark$ $12 = I(5, 2 + 0, 8) \checkmark$ $I = 2 A \checkmark$	9.2	$ \frac{\text{Option 1:}}{V = IR \checkmark} $ $ 12 = I(6) \checkmark $ $ I = 2 A \checkmark $	<b>Option 2:</b> emf = I(R + r) ✓ 12 = I(5,2 + 0,8) ✓ I = 2 A ✓
---	-----	--	--

9.3 
$$V_{\text{parallel}} = IR \checkmark$$
  
= (2) (3, 2)  $\checkmark$   
= 6, 4 V  
 $V_{8\Omega} = \frac{6,4}{2} \checkmark = 3, 2 V \checkmark$ 

10.1 Option 1  

$$\frac{1}{R_{e}} = \frac{1}{r_{1}} + \frac{1}{r_{2}} \checkmark = \frac{1}{9} + \frac{1}{23} \checkmark \therefore R = 6, 47 \Omega$$
Rtot = 6, 47 + 2 + 0, 2 \sqrt{ = 8, 67 } Ω  

$$I = \frac{V}{R} \checkmark = \frac{12}{8,67} = 1, 38 \text{ A } \checkmark$$

#### Option 2

$$\frac{1}{R_{e}} = \frac{1}{r_{1}} + \frac{1}{r_{2}} \checkmark = \frac{1}{9} + \frac{1}{23} \checkmark \therefore R = 6, 47 \Omega$$
  
Rext = 6, 47 + 2 \sqrt{ = 8, 47 } \Omega

Emf = I(R + r)  $\checkmark$  : 12 = I (8, 47 + 0, 2)  $\checkmark$  : I = 1, 38 A  $\checkmark$ 

10.2 Decreases ✓

(Effective) resistance of circuit decreases  $\checkmark~$  (No current through 15  $\Omega$  and 8  $\Omega$  resistances)

<u>Current (I) increases</u> ✓ <u>Ir (lost volts) increases</u> ✓ V<sub>external</sub> decreases

- 11.1 The current through a conductor is directly proportional to the potential difference across its ends at constant temperature.  $\checkmark \checkmark$
- 11.2 Equal  $\checkmark$ <u>2 A divides equally at T</u> (and since  $I_M = 1$  A it follows that  $I_N = 1$  A)  $\checkmark$
- 11.3 emf = IR + Ir  $\checkmark$  : 17 = 14 + Ir  $\checkmark$  : Ir = 3 V

$$r = \frac{V_{lost}}{I} \checkmark = \frac{3}{2} \checkmark = 1,5 \ \Omega \checkmark$$

- 11.4  $V_N = IR_N \checkmark = (1) (2) \checkmark = 2 V \checkmark$
- 11.5  $V_Y = 14 2 = 12 V \checkmark$  $V_Y = IR_Y \checkmark \therefore 12 = (2) RY \checkmark$  $\therefore R_Y = 6 \Omega \checkmark$

#### ELECTRODYNAMICS SOLUTIONS

#### **QUESTION 1**

1.1	Q/split ring commutator/commutator Q	(1)
1.2	Replace Q/split ring commutator with slip rings.	(1)
1.3	AC can be stepped-up at power stations to reduce energy loss during transmission.	(2)

1.4.1

$$I_{rms/wgk} = \frac{I_{max/maks}}{\sqrt{2}} \checkmark$$
$$= \frac{0,35}{\sqrt{2}} \checkmark$$
$$\therefore I_{rms/wgk} = 0,25 \text{ A }\checkmark$$





#### **QUESTION 2**

2.1.1	slip rings	(1)
2.1.2	brush (es)	(1)
2.2	Maintains electrical contact with the slip rings.	
OR		
To tak	e current out/in of the coil.	(1)
2.3		

Mechanical /kinetic energy to electrical energy.

(1)

2.5



2.7

$$V_{\rm rms} = \frac{V_{\rm max}}{\sqrt{2}} = \frac{311}{\sqrt{2}} \checkmark = 219,91 \text{ V}$$
$$V_{\rm rms} = \frac{I_{\rm max}}{\sqrt{2}} = \frac{21,21}{\sqrt{2}} \checkmark = 14,998 \text{ A}$$

#### **QUESTION 3**

3.1

3.1.1 A: coil / rotor / armature

	B: brushes	
	C: commutator OR	
	Split-ring (commutator)	(3)
3.1.2		
ANY C	DNE:	
Takes	current into the coil.	
Mainta	ains contact with the commutator.	(1)
3.1.3	DC motor	(1)
3.1.4		

Due to the motor effect.

OR

There is an interaction between the external magnetic field and the magnetic field produced by the current in the conductor. (2)

3.2.1

3.2.3

$$V_{\rm rms} = \frac{V_{\rm max}}{\sqrt{2}} \checkmark$$
$$= \frac{1}{\sqrt{2}} \checkmark$$
$$= 0,707 \lor \checkmark$$
$$3.2.2 \qquad 0,04 \: \rm{s}$$

$$\frac{\text{OPTION 1}}{P_{\text{ave}} = V_{\text{rms}} I_{\text{rms}} \checkmark}$$

$$= \left(\frac{V_{\text{max}}}{\sqrt{2}}\right) \left(\frac{I_{\text{max}}}{\sqrt{2}}\right) \checkmark \quad (1 \text{ mark for formula})$$

$$= \left(\frac{1}{\sqrt{2}}\right) \checkmark \left(\frac{2}{\sqrt{2}}\right)$$

$$= 1 \text{ W } \checkmark$$

$$\frac{\text{OPTION 2}}{P_{\text{ave}} = V_{\text{rms}} I_{\text{rms}} \checkmark}$$
$$= \left(\frac{1}{\sqrt{2}}\right) \left(\frac{I_{\text{max}}}{\sqrt{2}}\right) \checkmark$$
$$= \left(\frac{1}{\sqrt{2}}\right) \left(\frac{2}{\sqrt{2}}\right) \checkmark$$
$$= 1 \text{ W } \checkmark$$

#### **QUESTION 4**

4.1	Electromagnetic induction.	(1)
4.2	Rotate the coil faster/Increase the number of coils/ Increase the strength o magnetic field.	f the (1)

4.4.1 It is the value of the voltage in a DC circuit that will have the same heating effect as an AC circuit.

Accept:

The time averaged voltage of an AC.

 $V_{\text{rms}} = \frac{V_{\text{max}}}{\sqrt{2}}$  where  $V_{\text{max}}$  is the maximum (peak) voltage of the AC.  $\checkmark \checkmark$ 

(2)

(1)

4.4.2

$$V_{\rm rms} = \frac{V_{\rm max}}{\sqrt{2}} \checkmark$$
$$= \frac{339,45}{\sqrt{2}} \checkmark$$
(3)
$$V_{\rm rms} = 240,03 \, \forall \checkmark$$
[8]





5.1.2

OPTION 1	OPTION 2	
$P_{av} = I_{rms} V_{rms} \checkmark$	V <sub>rms</sub> = I <sub>rms</sub> R✓	
$100 = I_{\rm rms} \frac{340}{\sqrt{2}} \checkmark$	$\frac{340}{\sqrt{2}} = I_{\rm rms}(578) \checkmark$	
$I_{\rm rms} = \frac{100}{340}$	I <sub>rms</sub> = 0,417 A√	
= 0,417 A ✓		(3)

5.2 Can be stepped up or down/ can be transmitted with less power loss. (1)

#### **QUESTION 6**

6.1.1

Move the bar magnet very quickly

- up and down inside the coil (2)
- 6.1.2 Electromagnetic induction (1)
- 6.1.3 Commutator/ split rings (1)

6.2.1

$$I_{\rm rms} = \frac{V_{\rm rms}}{R} \checkmark$$
$$= \frac{220}{40,33} \checkmark$$
$$= 5,45 \text{ A}$$
$$W = I_{\rm rms}^2 R \Delta t$$

= (5,45<sup>2</sup>)(40,33)(1)✓ = 1 197,9 J **OR**/*OF* 1 200,10 J✓

6.2.2

$$\frac{\text{OPTION 1}}{V_{\text{rms}}} = \frac{V_{\text{max}}}{\sqrt{2}}$$

$$220 = \frac{V_{\text{max}}}{\sqrt{2}}$$

$$V_{\text{max}} = 311,13 \text{ V}$$

$$I_{\text{max}} = \frac{V_{\text{max}}}{R} = \frac{331,13}{40,33} \checkmark$$

$$= 7,71 \text{ A} \checkmark$$

$$OR/OF$$

$$P_{\text{ave}} = \frac{V_{\text{max}}I_{\text{max}}}{2}$$

$$1200,1 = \frac{(311,13)I_{\text{max}}}{2}$$

$$I_{\text{max}} = 7,71 \text{ A}$$

## OPTION 2

$$\frac{\text{OP HON 2}}{P_{\text{average}} = V_{\text{rms}} I_{\text{rms}} \checkmark}$$

$$\frac{1200,1 = (220)I_{\text{rms}}}{I_{\text{rms}} = 5,455 \text{ A}}$$

$$I_{\text{max}} = \sqrt{2} (5,455)$$

$$= 7,71 \text{ A} \checkmark (7,715 \text{ A})$$

## OPTION 3

$$P_{\text{average}} = I_{\text{rms}}^2 R \checkmark$$

$$\frac{1200,1 = I^2}{I_{\text{rms}}(40,33)} \checkmark$$

$$I_{\text{rms}} = 5,455 \text{ A}$$

$$I_{\text{max}} = \sqrt{2} I_{\text{rms}}$$

$$= \sqrt{2} (5,455)$$

$$= 7.71 \text{ A} \checkmark$$

7.1

7.1.1 North pole (1)

(1)

7.1.2 Q to P

7.2.1

$$I_{rms} = \frac{I_{max}}{\sqrt{2}} \checkmark$$
$$I_{rms} = \frac{8}{\sqrt{2}} \checkmark$$
$$= 5,66 \text{ A}$$
$$V_{rms} = I_{rms} \text{ R} \checkmark$$
$$220 = (5,66) \text{ R} \checkmark$$
$$\text{R} = 38,87 \ \Omega \checkmark$$

OR

$$V_{\rm rms} = \frac{V_{\rm max}}{\sqrt{2}} \checkmark$$
$$220 = \frac{V_{\rm max}}{\sqrt{2}} \checkmark$$
$$V_{\rm max} = 311, 12 \text{ V}$$

 $V_{max}$  = I<sub>max</sub> R√ 311,12 = (8)R√ R = 38,89 Ω√

7.2.2

$$\frac{\text{OPTION 1}}{P_{\text{average}} = V_{\text{rms}} I_{\text{rms}} \checkmark}$$

$$= (220)(5,66) \checkmark$$

$$= 1 245,2 \text{ W}$$

$$P = \frac{W}{\Delta t} \checkmark$$

$$1245,2 = \frac{W}{7200} \checkmark$$

$$W = 8 965 440 \text{ J} \checkmark$$

$$P_{\text{average}} = |_{\text{rms}}^{2} R$$
  
= (5,66)<sup>2</sup>(38,89)  
= 1245,86  
E = Pt  
= (1245,86)(7200)  
= 8970192J

#### **QUESTION 8**

8.1.1DC-generator

Uses split ring/commutator

8.1.2





(2)

8.2.1



8.2.2

"

$$P_{ave} = V_{rms} \quad I_{rms} \quad \checkmark$$
  
for the kettle.  
$$2000 = \frac{340}{\sqrt{2}} (I_{rms})^{\checkmark}$$
  
$$I_{rms} = 8,32 \text{ A}$$
  
$$I_{tot} = (8,32 + 3,33)^{\checkmark}$$
  
$$= 11,65 \text{ A}^{\checkmark}$$

#### PHOTOELECTRIC EFFECT SOLUTIONS

#### **QUESTION 1**

- 1.1 It is the minimum energy that an electron in the metal needs to be emitted from the metal surface (2)
- 1.2 Frequency/Intensity
- 1.3 The minimum frequency required to remove an electron from the surface of the metal. (2)

(1)

1.4

$$E = W_0 + E_k$$
  $\checkmark$  Any one  
hf = hf\_0 + E\_k   
(6,63 x 10<sup>-34</sup>)(6,50 x 10<sup>14</sup>)  $\checkmark$  = (6,63 x 10<sup>-34</sup>)(5,001 x 10<sup>14</sup>)  $\checkmark$  + ½(9,11 x 10<sup>-31</sup>) $v^2 \checkmark$   
 $\therefore$  v= 4,67 x 10<sup>5</sup> m·s<sup>-1</sup>  $\checkmark$ 

$$\frac{OR}{E_{K}} = E_{light} - W_{o} \\
= hf_{light} - hf_{o} \\
= (6,63 \times 10^{-34})(6,50 \times 10^{14} - 5,001 \times 10^{14}) \checkmark \\
= 9,94 \times 10^{-20} \text{ J}$$

$$E_{K} = \frac{1}{2} \text{ mv}^{2} \checkmark \\
v = \sqrt{\frac{2E_{k}}{m}} = \sqrt{\frac{(2)(9,94 \times 10^{-20})}{9,11 \times 10^{-31}}} \checkmark \\
v = 4.67 \times 10^{5} \text{ m} \cdot \text{s}^{-1} \checkmark$$

1.5 The photocurrent is directly proportional to the intensity of the incident light.

#### **QUESTION 2**

2.1.1 The minimum frequency (of a photon/light) needed to emit electrons from (the surface of) a metal. (substance)

#### OR

The frequency (of a photon/light) needed to emit electrons from (the surface of) a metal. (substance) with zero kinetic energy. (2)

#### 2.1.2 Silver

Threshold/cutoff frequency (of Ag) is higher

#### OR

To eject electrons with the same kinetic energy from each metal, light of a higher frequency/energy is required for silver. Since E = Wo + Ek(max) (and Ek is constant),

the higher the frequency/energy of the photon/light required, the greater is the work function/Wo. (3)

- 2.1.3 Planck's constant (1)
- 2.1.4 Sodium (1)

#### 2.2.1

Energy radiated per second by the blue light

$$= (\frac{5}{100})(60 \times 10^{-3}) \checkmark = 3 \times 10^{-3} \text{ J} \cdot \text{s}^{-1}$$

$$E_{\text{photon/foton}} = \frac{\text{hc}}{\lambda} \checkmark$$

$$= \frac{(6,63 \times 10^{-34})(3 \times 10^{8})}{470 \times 10^{-9}} \checkmark$$

$$= 4,232 \times 10^{-19} \text{ J}$$
Total number of photons incident per second,
$$= \frac{3 \times 10^{-3}}{4232 \times 10^{-19}} \checkmark$$

$$4,232 \times 10^{-19} = 7,09 \times 10^{15} \checkmark$$
(5)

#### 2.2.2

7, 09 x 1015 (electrons per second)

#### OR

Same number as that calculated in Question 10.2.1 above 2.2.1 (1)

[13]

#### **QUESTION 3**

3.1 It is the process whereby electrons are ejected from a metal surface when light (of suitable frequency) is incident on it.  $\Box \Box$ 

(2)

3.2



3.3.1

$$\frac{OPTION 1}{\frac{1}{\lambda} = 1,6 \times 10^{6} \text{ m}^{-1} \checkmark 
f_{o} = c \frac{1}{\lambda} \checkmark 
= (3 \times 10^{8})(1,6 \times 10^{6}) \checkmark 
= 4,8 \times 10^{14} \text{ Hz} \checkmark$$
(4)
$$\frac{OPTION 2}{By \text{ extrapolation: y-intercept = -W_{c}} \\
W_{o} = hf_{o} \checkmark \\
3,2 \times 10^{-19} \checkmark = (6,63 \times 10^{-34})f_{o} \checkmark \\
f_{o} = 4,8 \times 10^{14} \text{ Hz} \checkmark$$
(4)

3.3.2

$$\frac{hc = Gradient}{= \frac{\Delta y}{\Delta x}}$$

$$= \frac{6.6 \times 10^{-19}}{(5 - 1.6) \times 10^{6}} \checkmark$$

$$= 1.941 \times 10^{-25} (J \cdot m)$$

$$h = \frac{gradient}{c}$$

$$h = \frac{1.941 \times 10^{-25}}{3 \times 10^{8}} \checkmark$$

$$= 6.47 \times 10^{-34} J \cdot s \checkmark$$

OR

W<sub>o</sub> = 
$$\frac{hc}{\lambda_o}$$
 or / of W<sub>o</sub> =  $hc \frac{1}{\lambda_o}$   
3,2 x 10<sup>-19</sup> ✓ = h(3 x 10<sup>8</sup>)(1,6 x 10<sup>6</sup>) ✓  
h = 6,66 x 10<sup>-34</sup> J·s ✓

#### **QUESTION 4**

4.1 photoelectric effect

4.2 
$$h_{\overline{\lambda}}^{c} = Wo + \frac{1}{2}mv^{2}$$
  
(6, 63 x10<sup>-34</sup>)(3 x 10<sup>8</sup>) ÷ 200 x 10<sup>-9</sup> = 8, 00 x10<sup>-19</sup> + 0, 5 x 9, 11 x10<sup>-31</sup> x v<sup>2</sup>  
 $v = 653454, 89 \text{ m.s}^{-1}$ 

#### **QUESTION 5**

5.1 The minimum frequency (of a photon/light) needed to emit electrons from (the surface of) a metal (substance).

$$\begin{array}{c}
\underbrace{OPTION 1}{E = W_{o} + E_{k(max)}} \\
E = W_{o} + \frac{1}{2}mv_{max}^{2} \\
h \frac{c}{\lambda} = hf_{0} + \frac{1}{2}mv_{max}^{2} \\
\underbrace{(6,63 \times 10^{-34})(3 \times 10^{8})}_{\lambda} \checkmark = (6,63 \times 10^{-34})(5,548 \times 10^{14}) \checkmark + \frac{1}{2}(9,11 \times 10^{-31})(5,33 \times 10^{5})^{2} \checkmark \\
\lambda = 4 \times 10^{-7} m\checkmark$$
(5)

$$\begin{array}{l} \begin{array}{l} \overbrace{\textbf{OPTION 2}\\ \textbf{E} = W_{o} + \textbf{E}_{k(max)} \\ \textbf{E} = W_{o} + \frac{1}{2}mv_{max}^{2} \\ hf = hf_{0} + \frac{1}{2}mv_{max}^{2} \\ \hline & \checkmark \text{Any one} \\ hf = hf_{0} + \frac{1}{2}mv_{max}^{2} \\ \hline & \checkmark \text{Any one} \\ \hline & (6,63 \times 10^{-34})f = (6,63 \times 10^{-34})(5,548 \times 10^{14}) \checkmark + \frac{1}{2}(9,11 \times 10^{-31})(5,33 \times 10^{5})^{2} \checkmark \\ f = 7,5 \times 10^{14} \text{ Hz} \\ c = f\lambda \\ 3 \times 10^{8} = (7,5 \times 10^{14})\lambda\checkmark \\ \lambda = 4 \times 10^{-7} \text{ m} \checkmark \end{array}$$
(5)  
5.3 Smaller (less) than  $\Box$  (1)  
5.4 The wavelength/frequency/energy of the incident light (photon/hf) is constant $\Box$ .

Since the speed is larger, the <u>kinetic energy is larger</u>  $\Box$  the <u>work function/W0/threshold frequency smaller</u>.  $\Box$ 

(3)